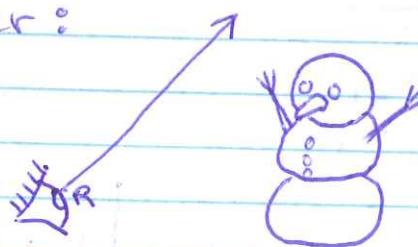


UNDERSTANDING GRID ACCELERATION

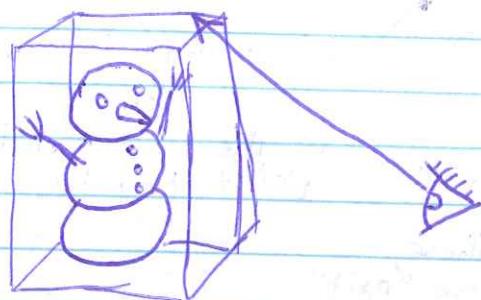
The idea behind grid acceleration is that we want to reduce the number of objects we test against with the intersection of a ray.

Consider:



unoptimized

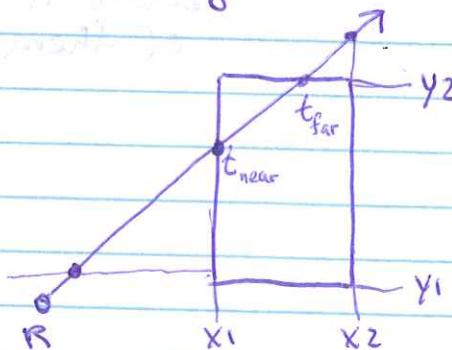
B must check collisions with all primitives in the scene
 $O(nm \cdot \text{objects})$



Now imagine with a bounding box, if we consider this ray passing behind it, all the primitives in this object can be ignored $O(1)$

we want to avoid false positives (snug fitting box)
but also quickly compute intersections

With this we can get the idea of an axis aligned box (grid):

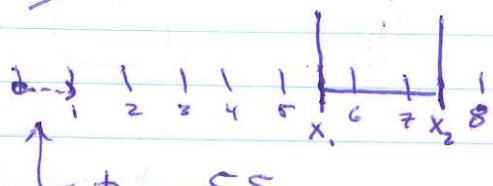
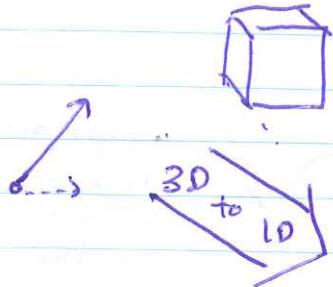


for each axis direction:
calculate t_1 and t_2

$$t_{\text{near}} = \max(t_{1x}, t_{1y}, t_{1z})$$

$$t_{\text{far}} = \min(t_{2x}, t_{2y}, t_{2z})$$

Basically what this algorithm does is check how many (xyz) components of the direction vector are needed to cross the bounding box



$$t_{1x} = 5.5$$

$$t_{2x} = 7.5$$

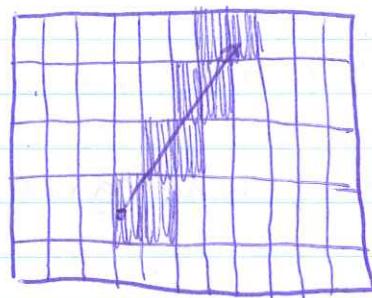
if we take
the min
of all these,
that is the "exit"
intersection point

if we take the max
of all these, that
is the "first" intersection
point t-value

an intersection

can only occur if
the vector goes
"into" the bounding
region for all t-values
before it "exits" any
of them.

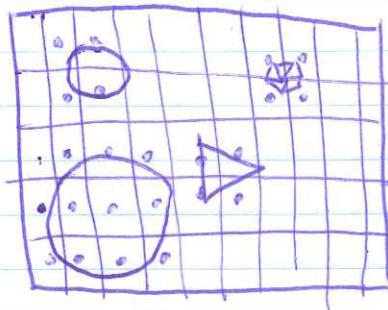
With grid acceleration, we want to "march" our ray through 3D space:



instead of checking 55 areas we only check 8 with this ray

↳ grids needn't be cubes

The grid forms our most basic data structure which each cell has pointers to the list of primitives which occupy it (note: the same object may be present in multiple cells)



↳ This way we 'march' through the grid and only if it contains a hit, we stop and return the nearest hit, if not, move to next grid march.

↳ if the object isn't hit mark it so it won't be checked again

↳ (recheck if there is a hit, but not in this grid)

Hilroy